

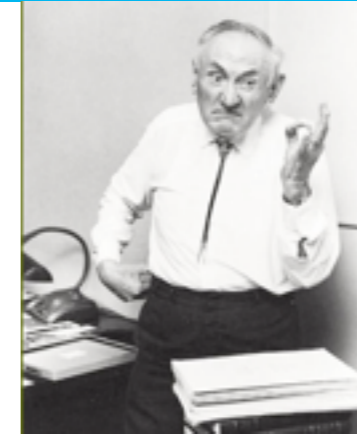
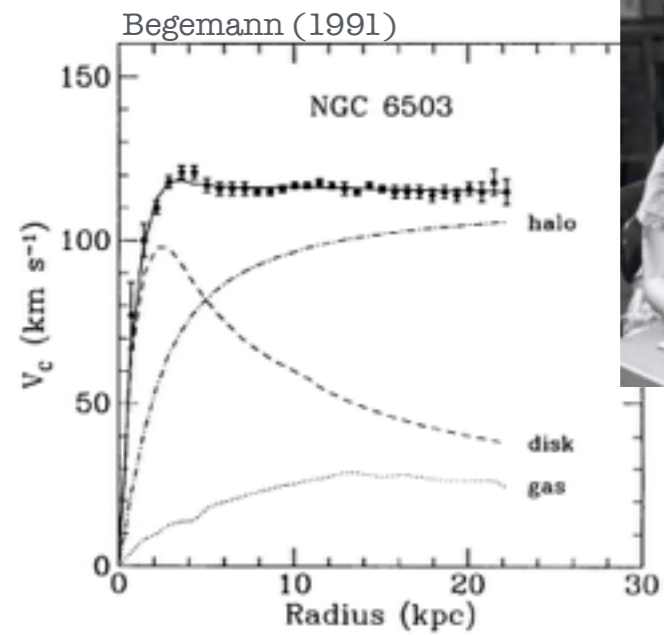
LPSC Journal Club, 17/03/10

Dark matter substructure modelling and sensitivity of the Cherenkov Telescope Array to Galactic dark halos

Hütten, M.; Combet, C.; Maier, G.; Maurin, D.
JCAP09(2016)047, arXiv:1606.04898



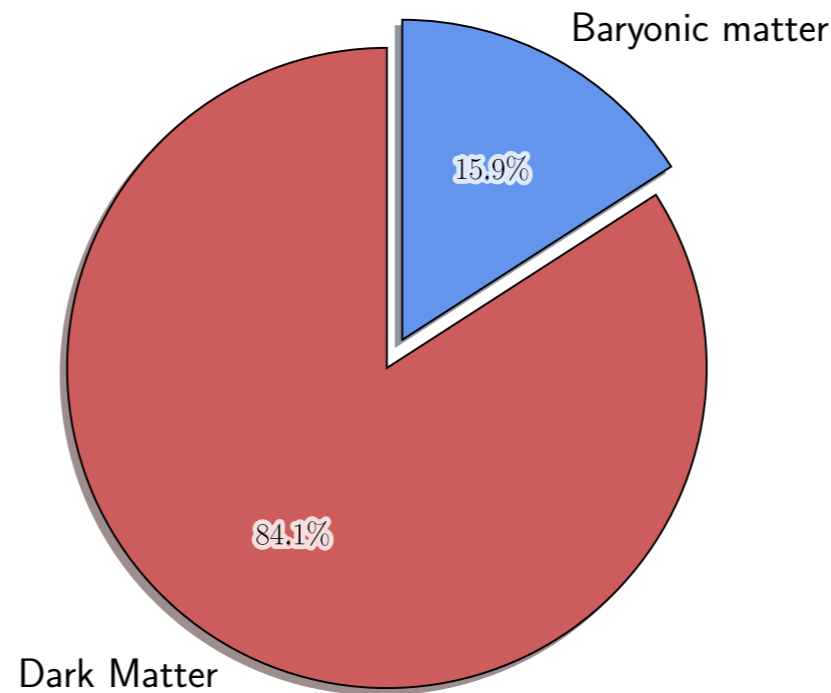
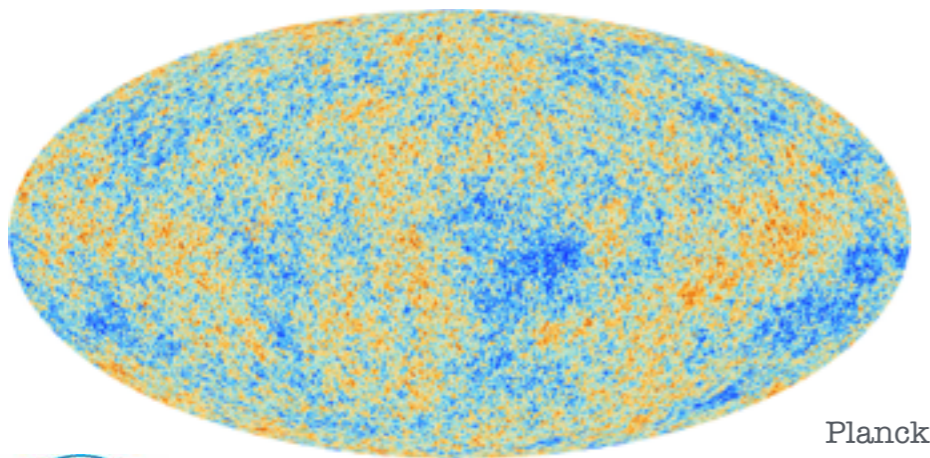
What's the (dark) matter?



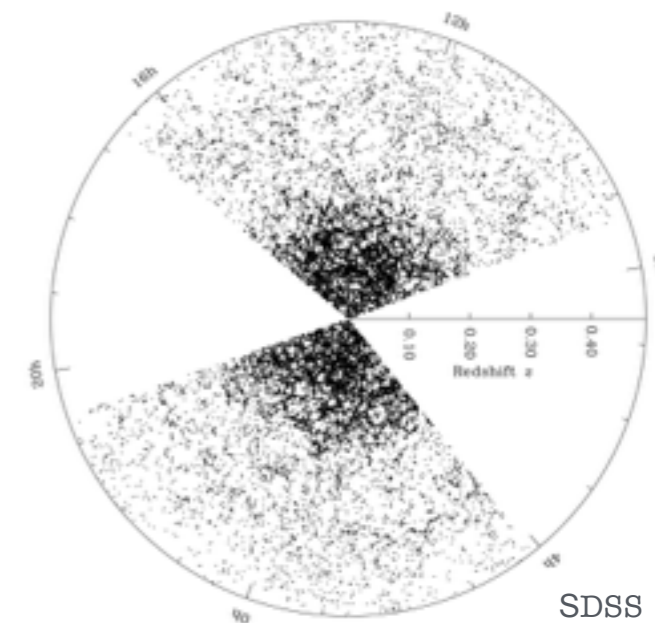
Galaxies

Galaxy clusters

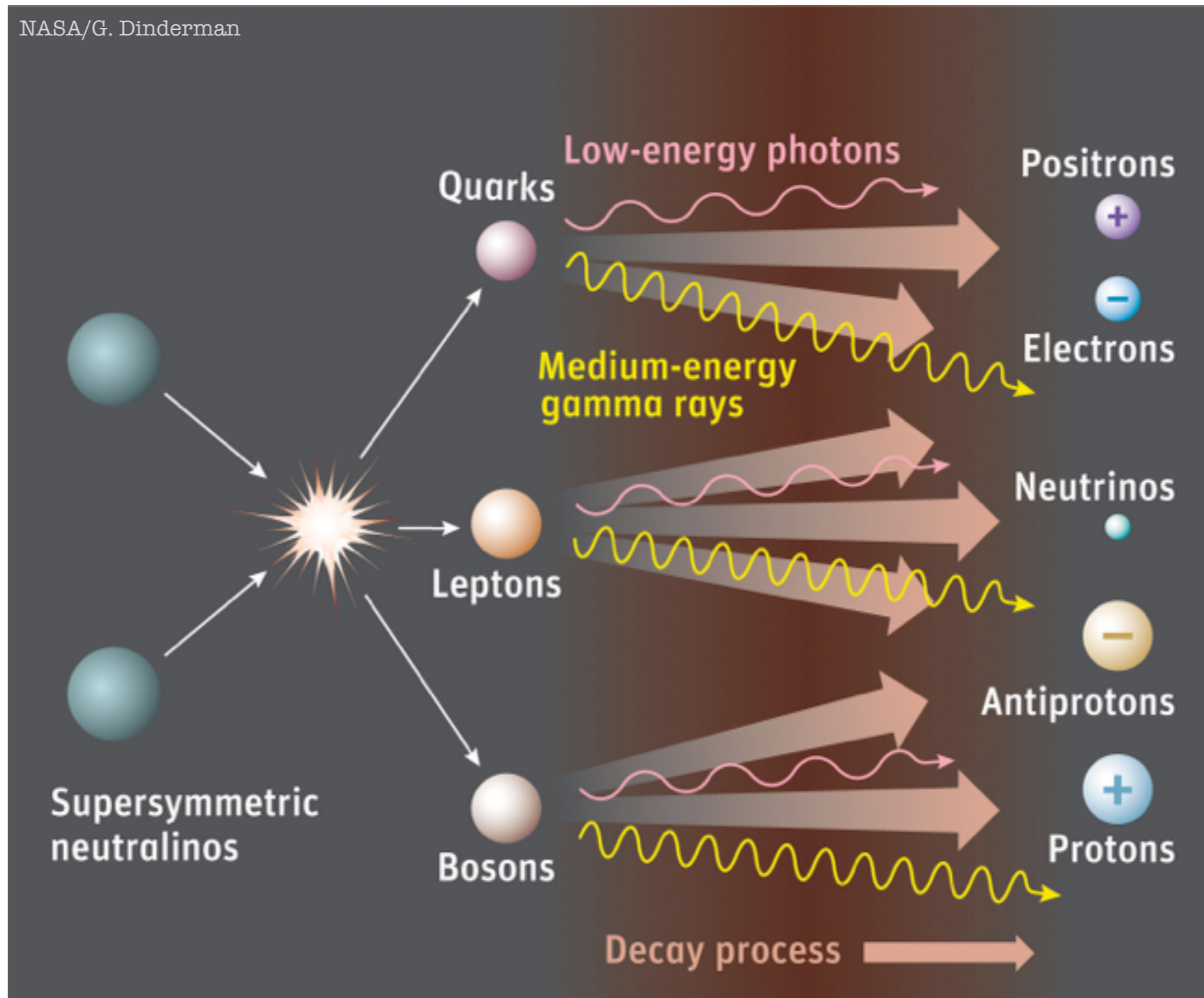
Cosmic Microwave Background



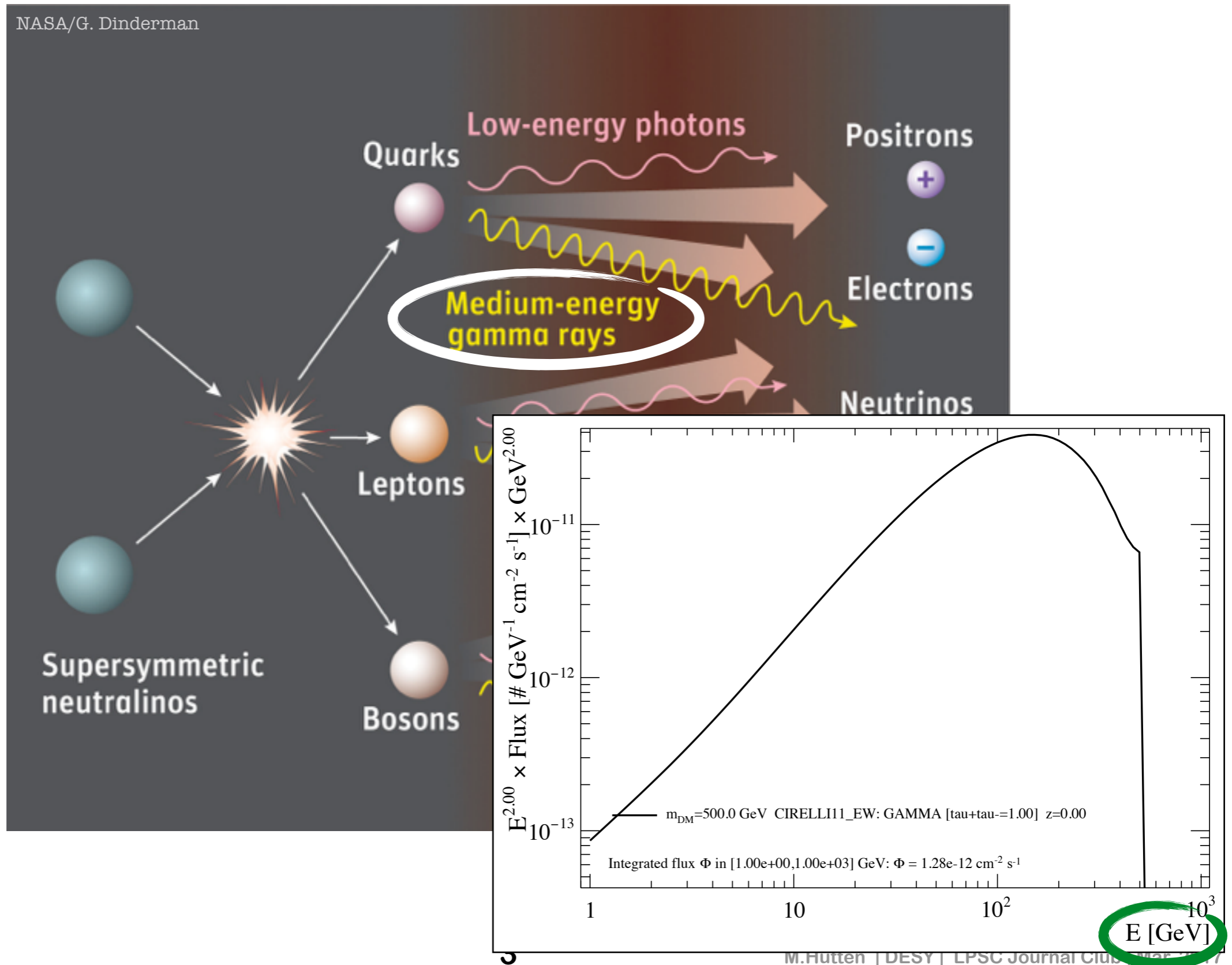
Large Scale Structure



The Dark Matter \leftrightarrow γ -ray connection



The Dark Matter \leftrightarrow γ -ray connection



The Dark Matter ↔ γ -ray connection

annihilation cross section

$$\frac{d\Phi_{\gamma}^{\text{ann.}}}{dE_{\gamma}} = \frac{1}{4\pi} \frac{\langle\sigma v\rangle}{2m_{\chi}^2} \cdot \sum_i^{\text{chann.}} b_i \frac{dN_{\gamma}^i}{dE_{\gamma}} \cdot \int_{\Delta\Omega} \int_{l.o.s.} \rho_{\text{DM}}^2 [r(l, \Omega)] dl d\Omega$$

spectrum = J : Astrophysical factor

DM particle mass

The higher the DM particle mass (yet unknown!),
the more energetic the γ -ray spectrum

Astrophysical dark matter γ -ray targets

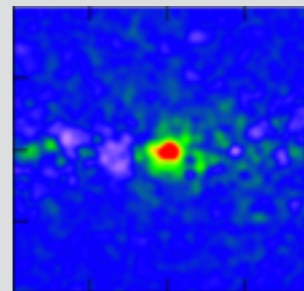
> Remote galaxies & galaxy clusters



Abell 1689

extra-galactic

> Galactic center and vicinity



1402.6703

> Dwarf Galaxies



Sculptor
dSphG

Galactic targets

> Dark Galactic subhalos

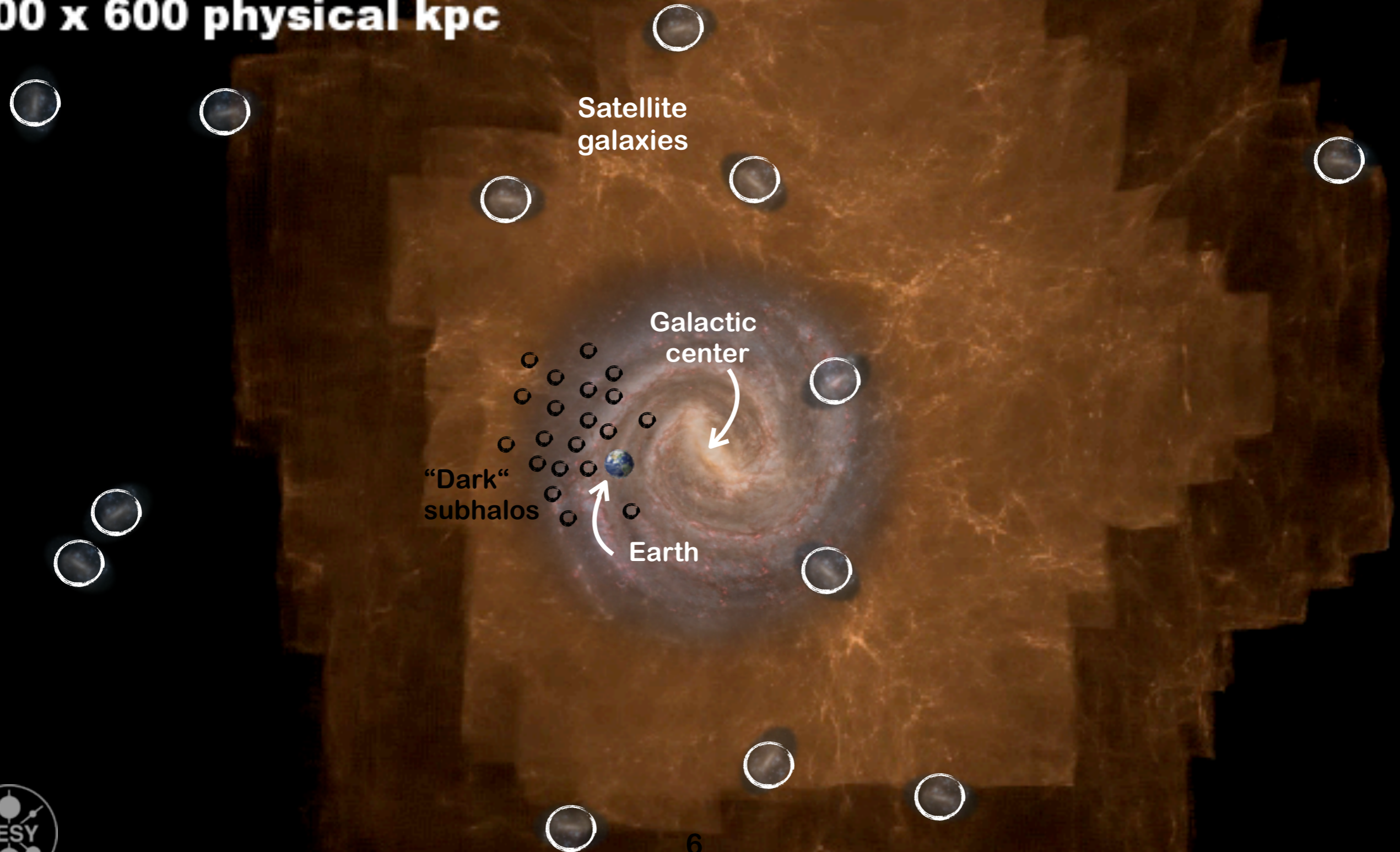


Dark Matter in the Galaxy

Diemand, Kuhlen, Madau (2006)

$z=11.9$

800 x 600 physical kpc




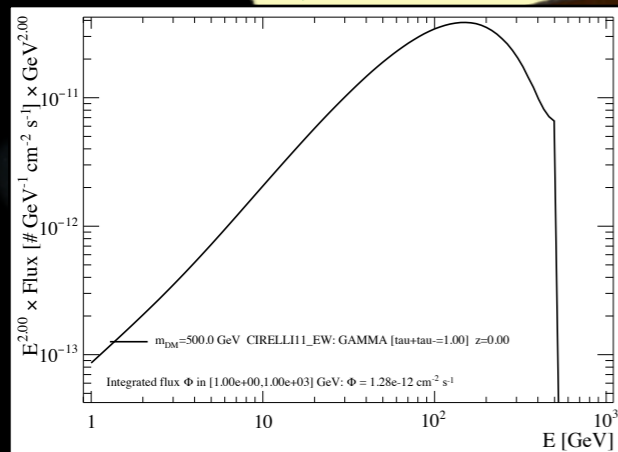
Dark Matter in the Galaxy

Diemand, Kuhlen, Madau (2006)

$z=11.9$

800 x 600 physical kpc

- dark: survey
- small: faint
- + close: brighter
- + clean: 

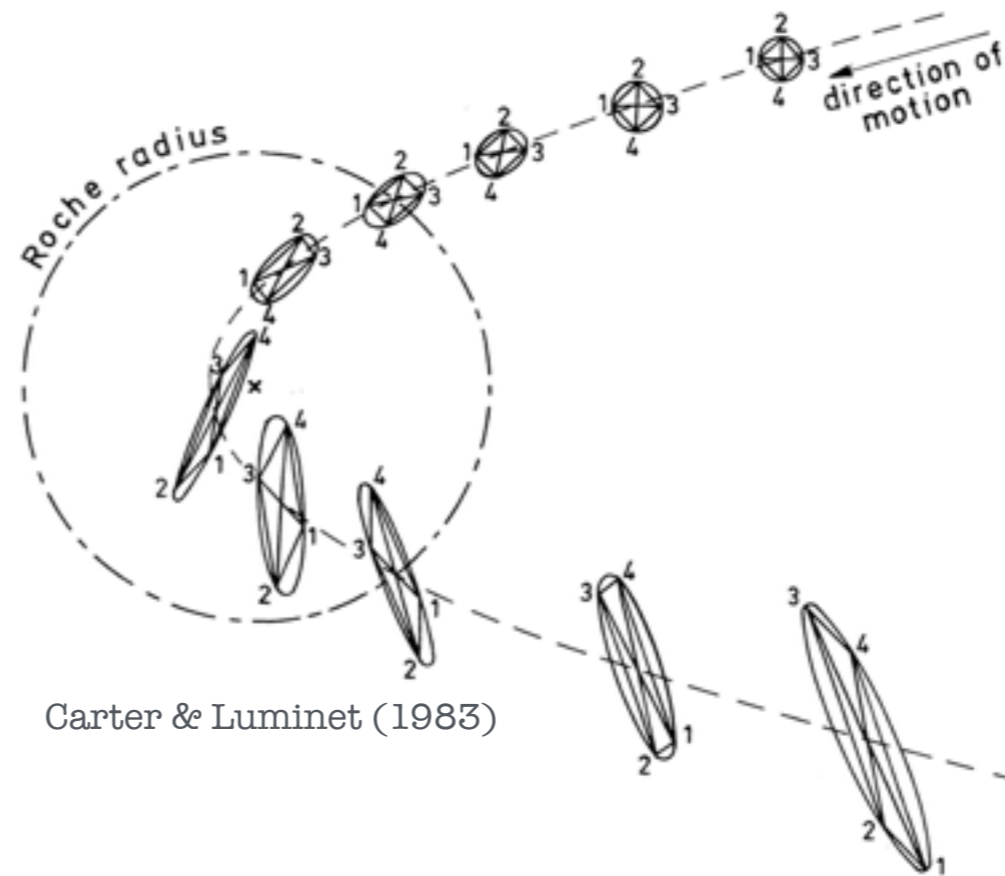


“Dark”
subhalos



Modelling the Galactic DM substructure distribution

> Tidal disruption



before

subhalo
density
profile



after



before

density
profile



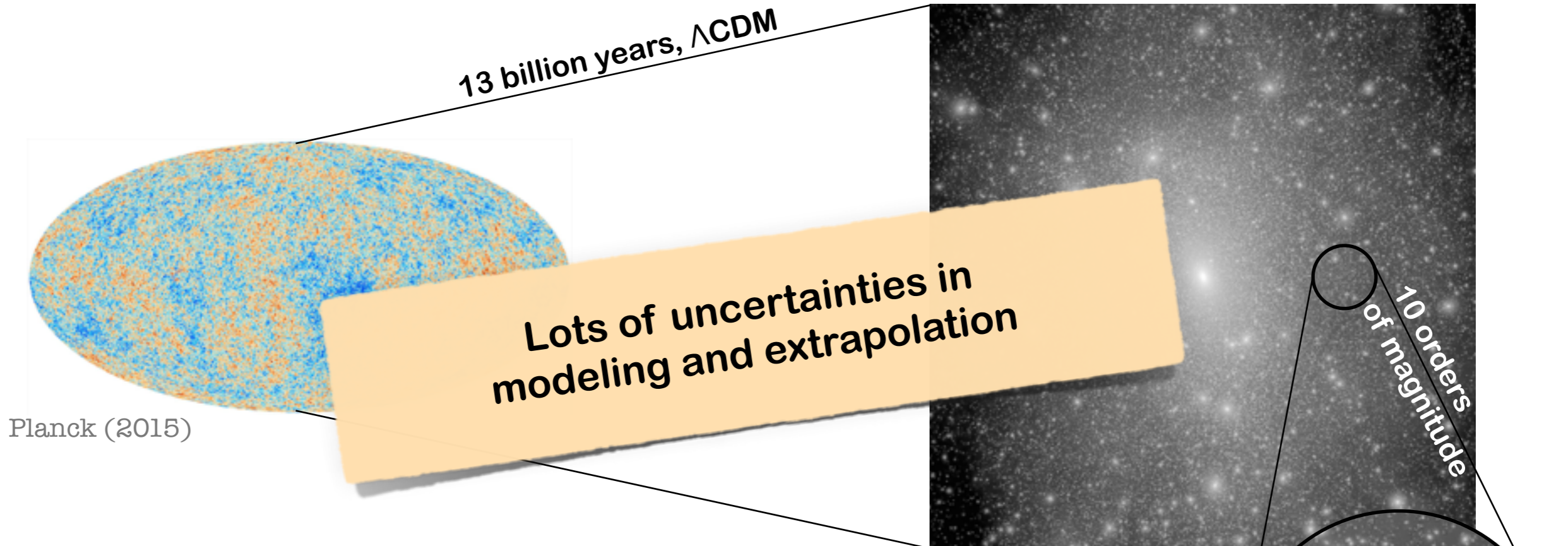
after



> Baryonic (supernova) feedback



Modelling the Galactic DM substructure distribution



`clumpy`: A code for γ -ray signals
from Dark Matter substructures

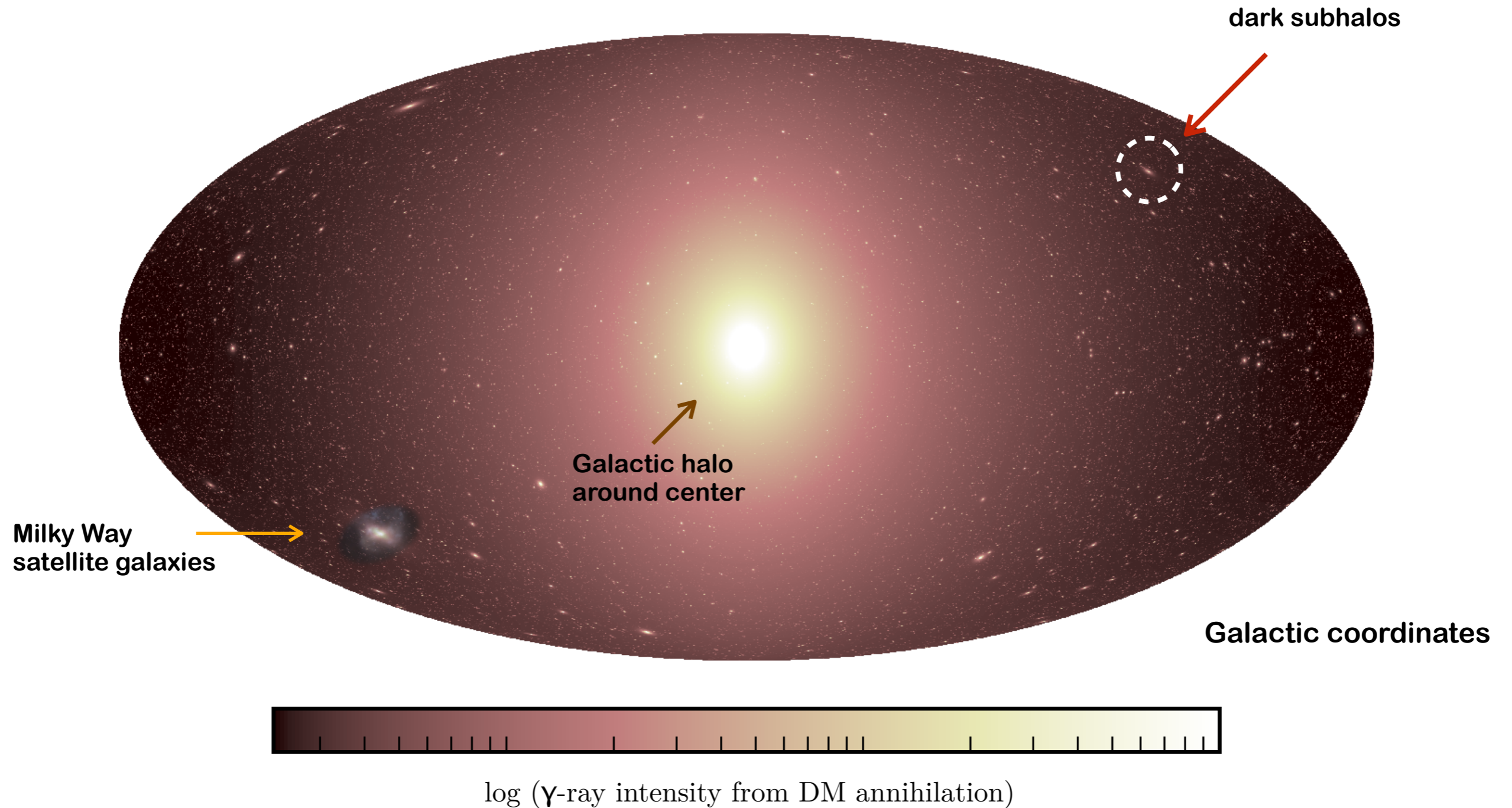
Charbonnier, Combet, Maurin (2012), 1201.4728

Bonnivard, Hütten, Nezri et al. (2015), 1506.07628

versatile tool to study parametrized N-body results

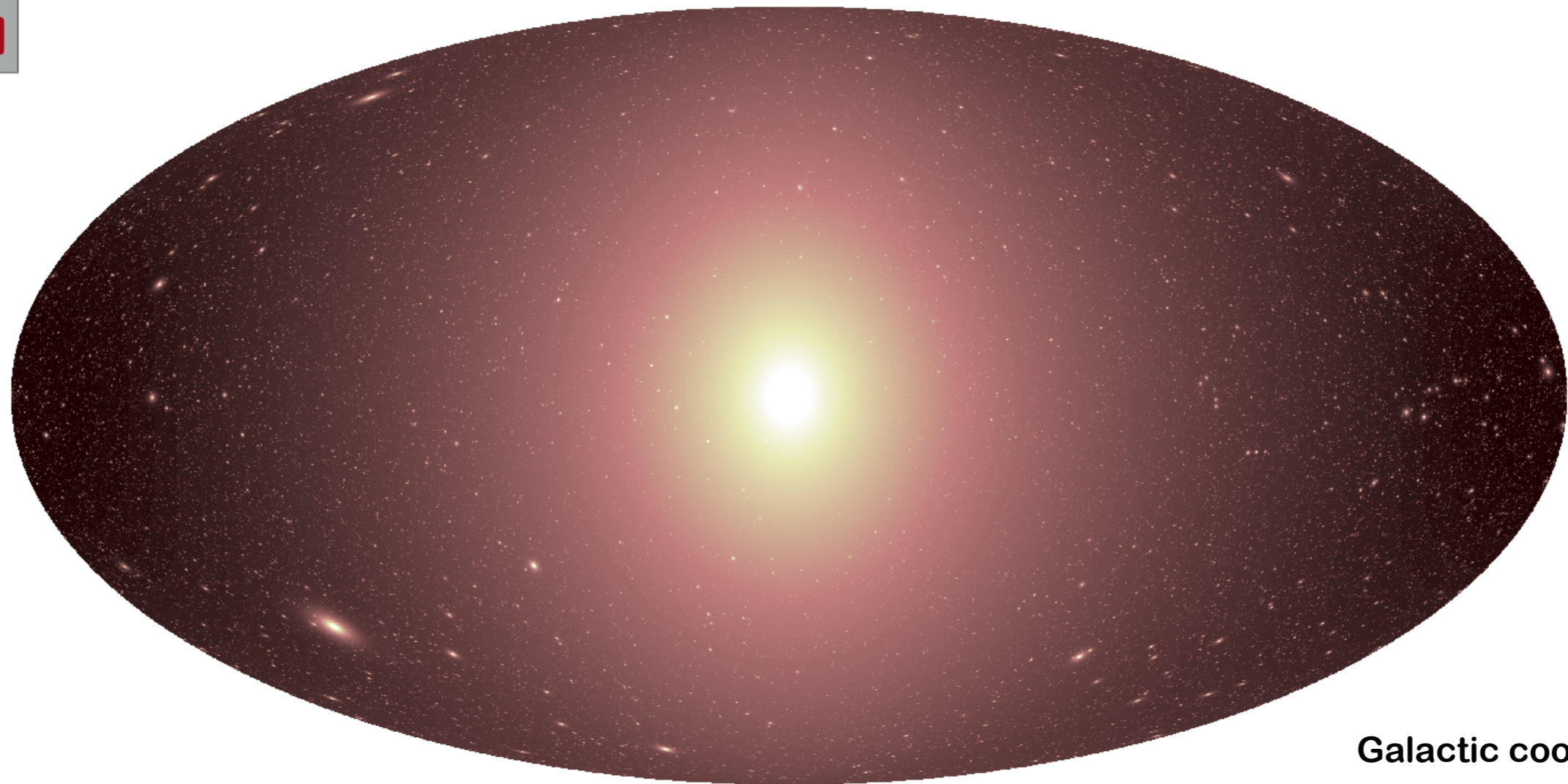


The Galactic Dark Matter sky from Earth



The Galactic Dark Matter sky from Earth

HIGH



Galactic coordinates



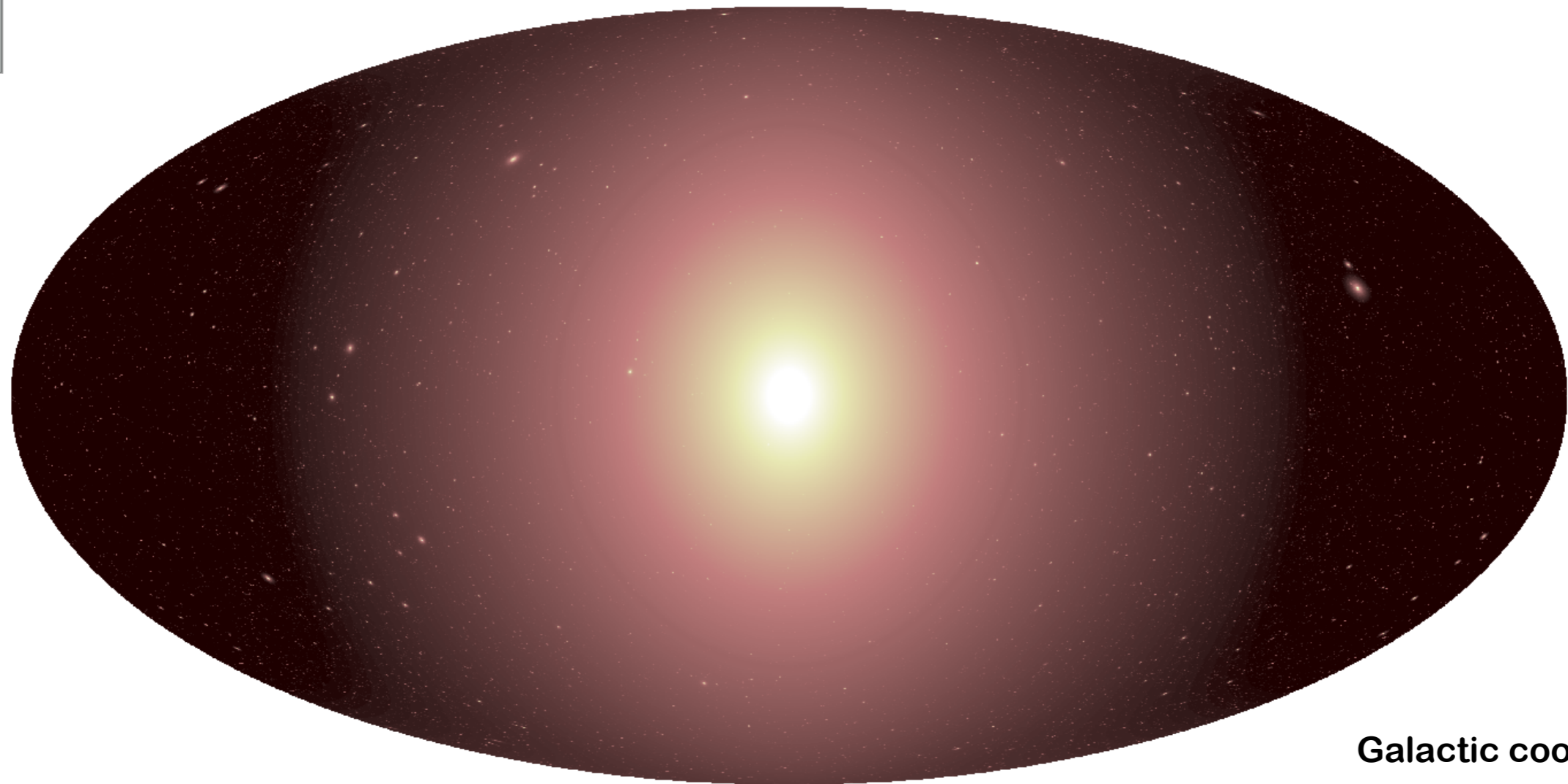
$\log(\gamma\text{-ray intensity from DM annihilation})$

Matching DM only simulations (Via Lactea I + II, Aquarius,...)



The Galactic Dark Matter sky from Earth

LOW



Galactic coordinates



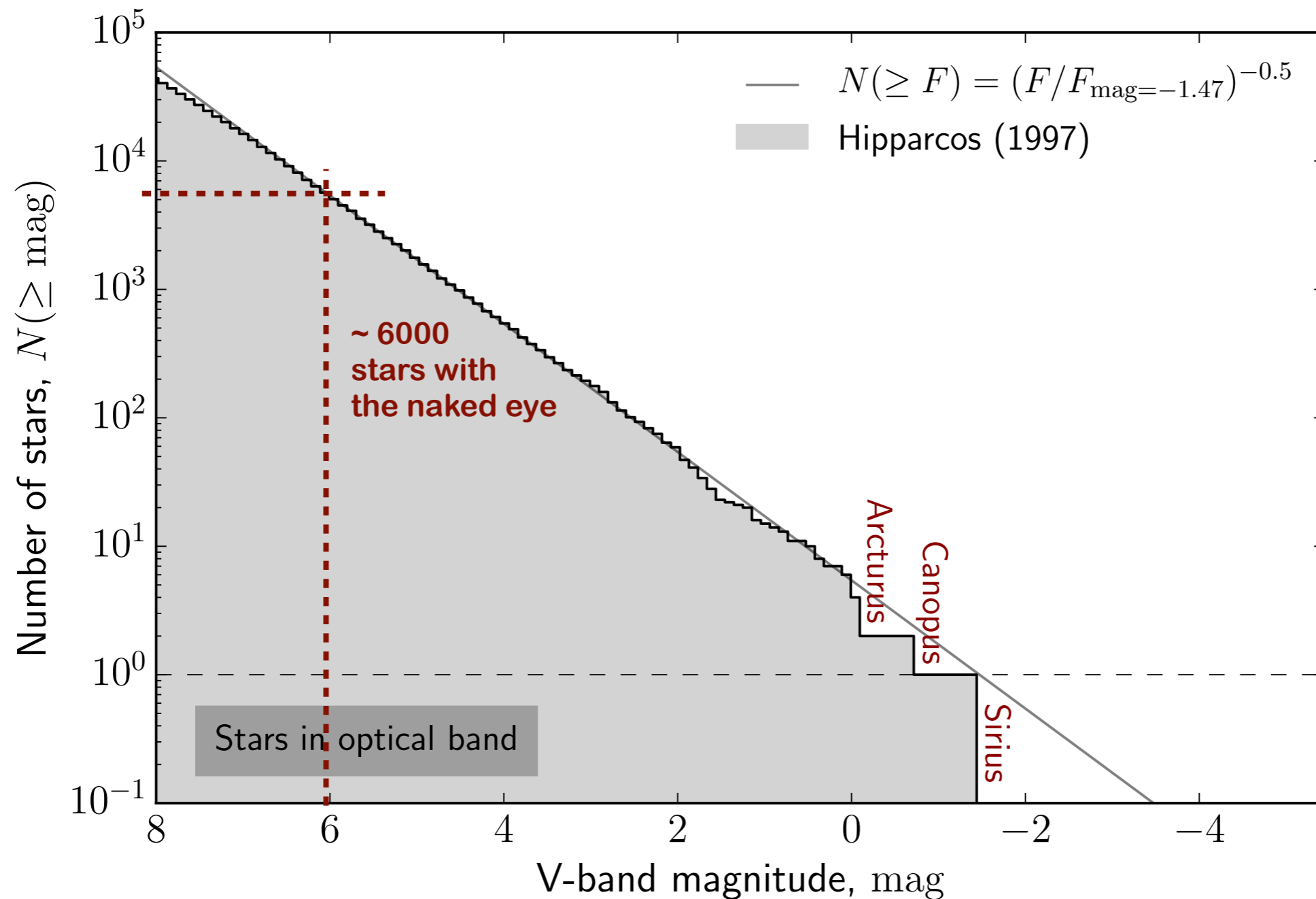
$\log(\gamma\text{-ray intensity from DM annihilation})$

Accounting for baryonic feedback, less subhalos surviving tidal disruption



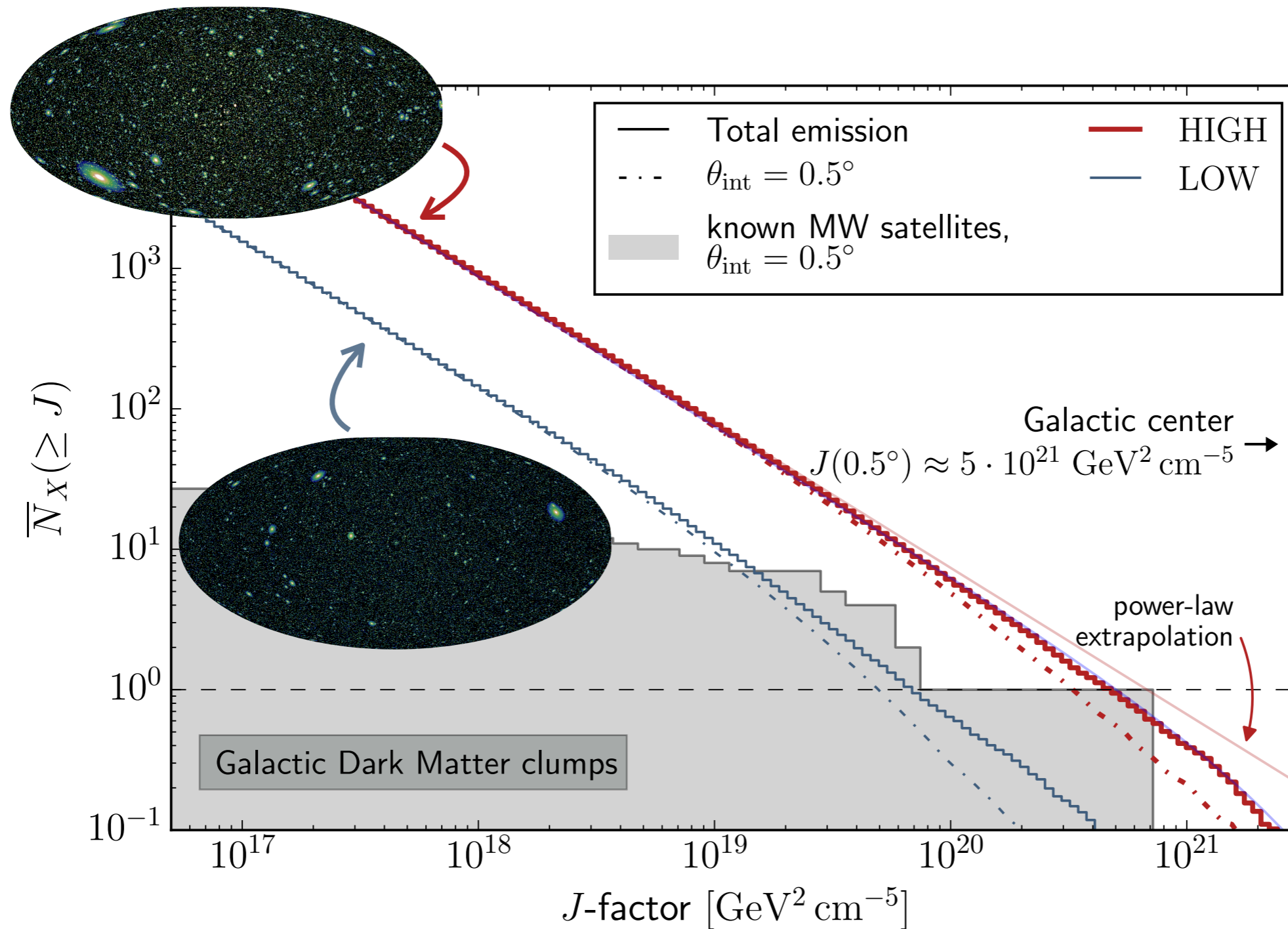
Excursion: Source flux count distributions

> How many stars shine on Earth?



Back to Dark Matter

> Galactic Dark Matter subhalo brightness distribution



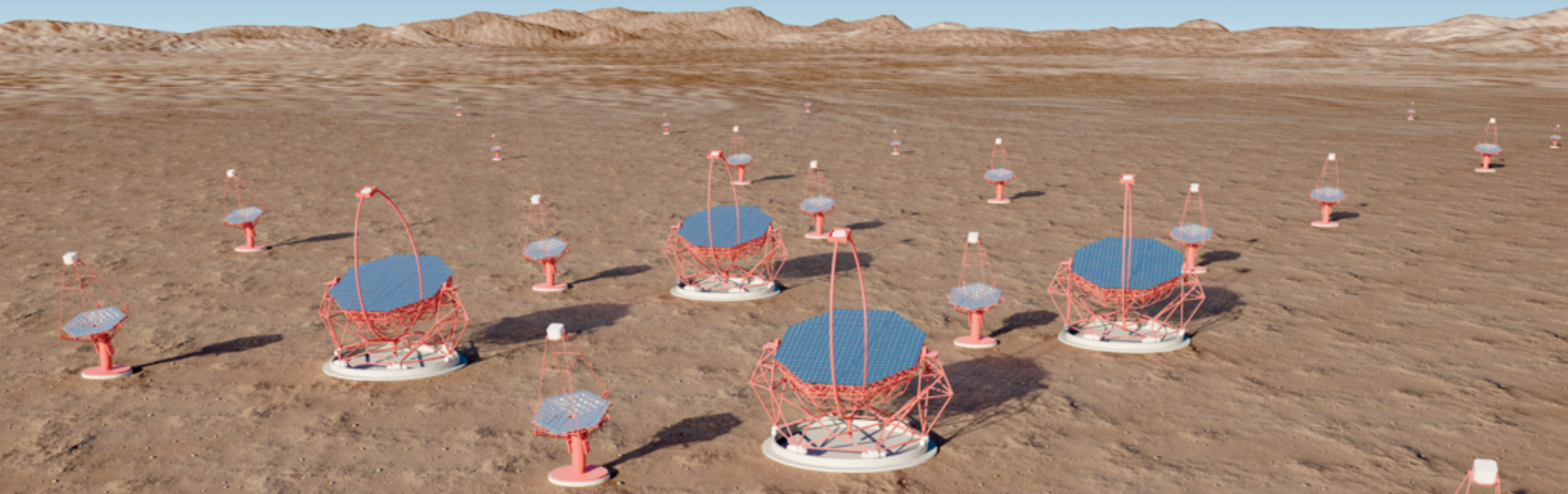
DM subhalos with the Cherenkov Telescope Array

Is CTA sensitive to detect dark satellites
in γ -rays > 100 GeV?



The Cherenkov Telescope Array (CTA)

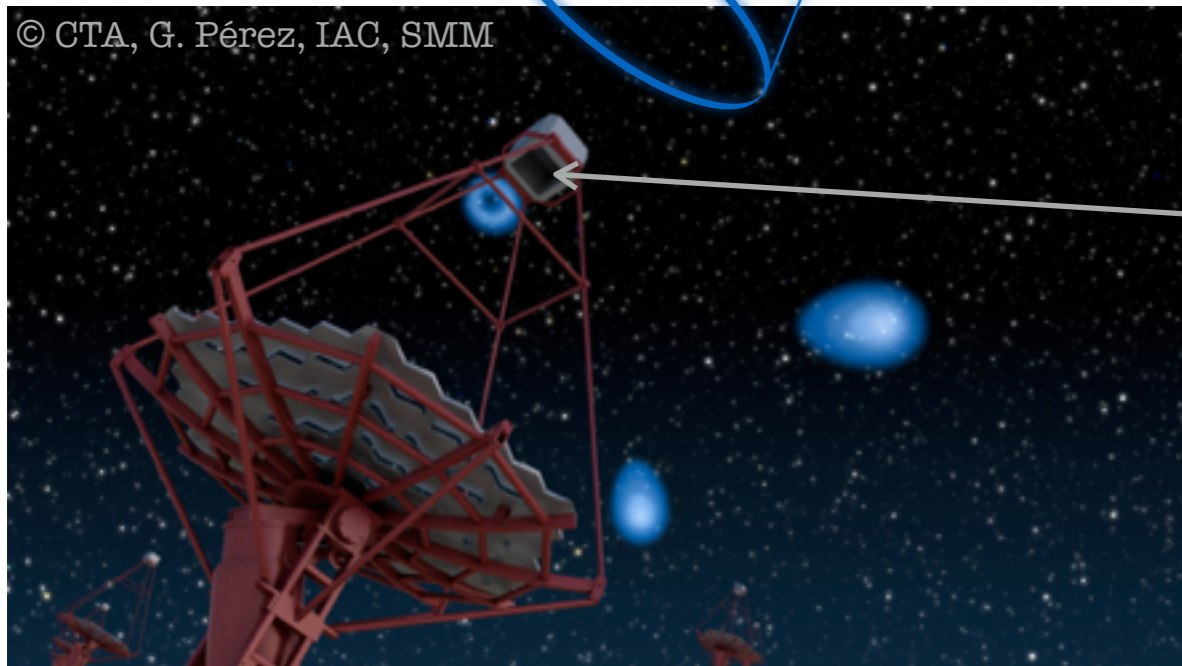
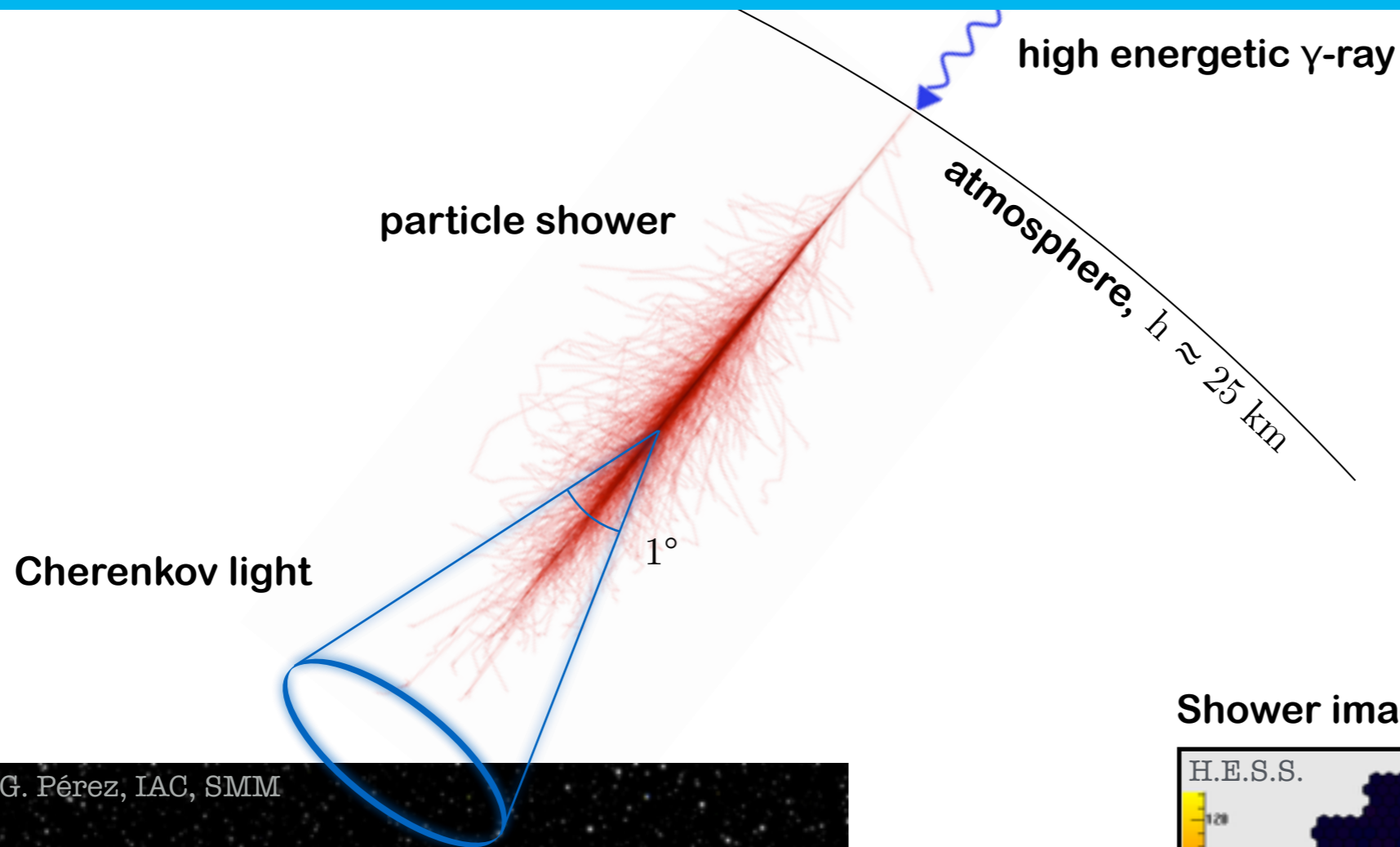
CTA, G. Pérez, IAC, SMM



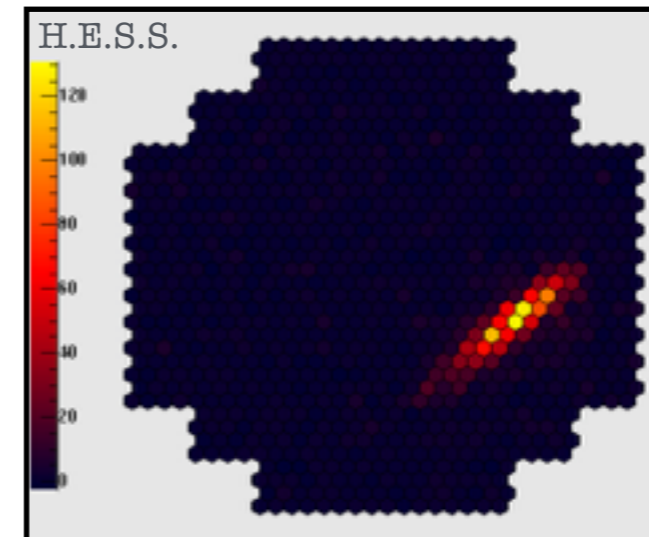
- The next generation Earth-bound γ -ray telescope
- Two arrays of 99 / 19 Cherenkov telescopes in Chile / La Palma.
- γ -ray energy range: 20 GeV – 300 TeV.
- Angular resolution: $< 0.1^\circ$, $< 0.05^\circ$ above 1 TeV.
- Point-source sensitivity: 1% Crab-flux in 1 h



Some remarks on Earth-bound γ -ray astronomy



Shower image in the camera



- > direction of primary γ -ray
- > Energy of primary γ -ray

Some remarks on Earth-bound γ -ray astronomy

> not only γ -rays create atmospheric particle showers...

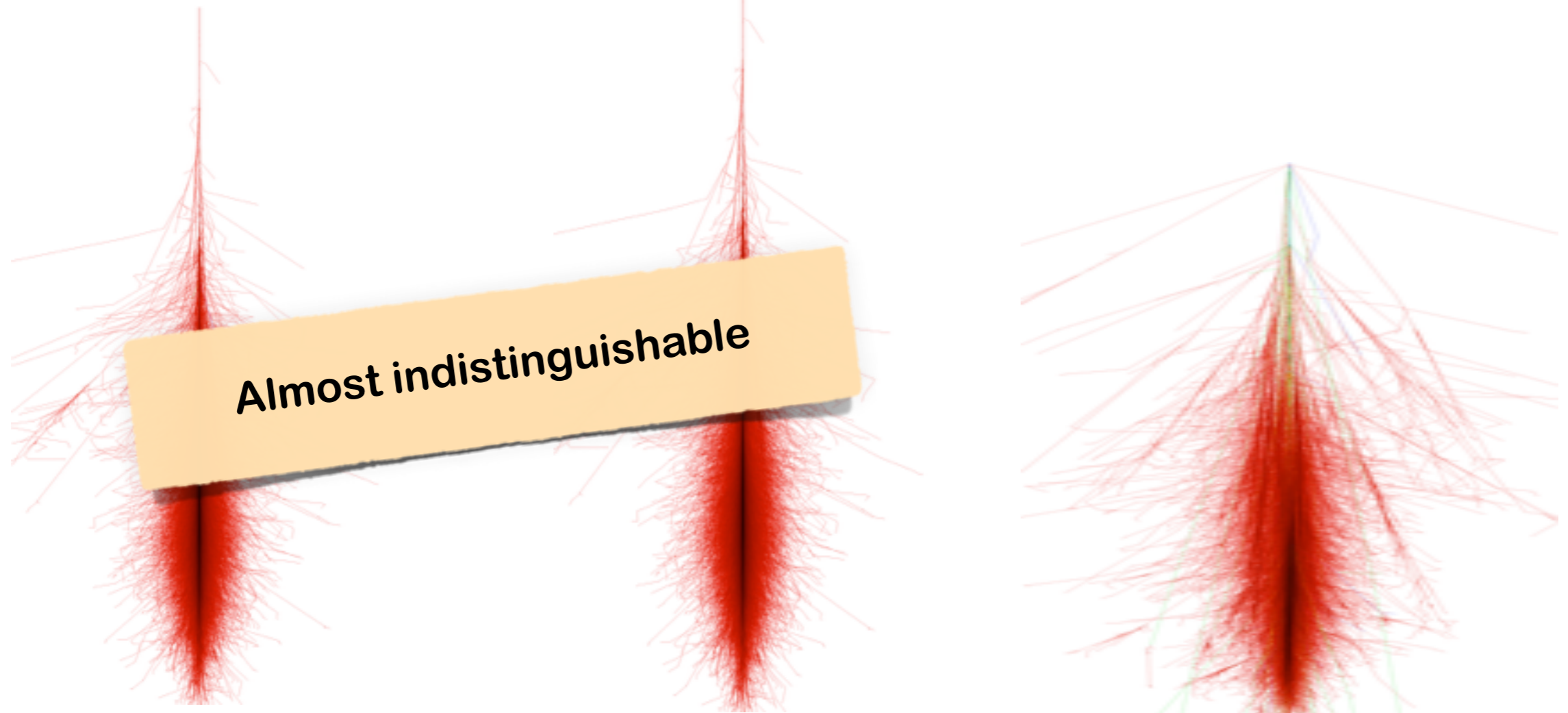
1 cosmic γ -ray

to

~ 1000 cosmic electrons

to

$\sim 10^5$ cosmic nuclei



1 TeV γ -ray shower

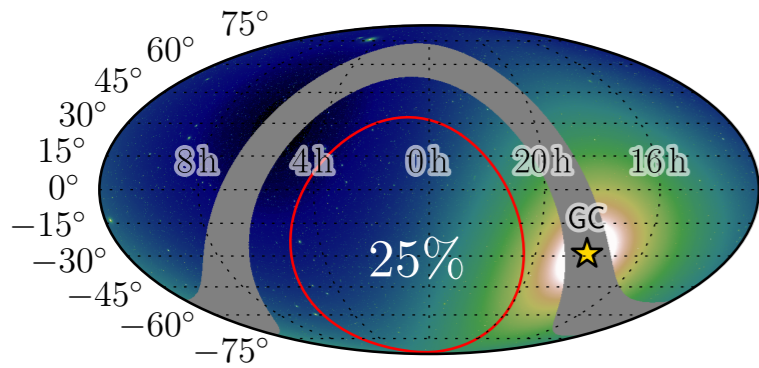
1 TeV electron shower

1 TeV proton shower

A model for the CTA extragalactic survey



Gammalib
Knödlseeder
et al. (2016)

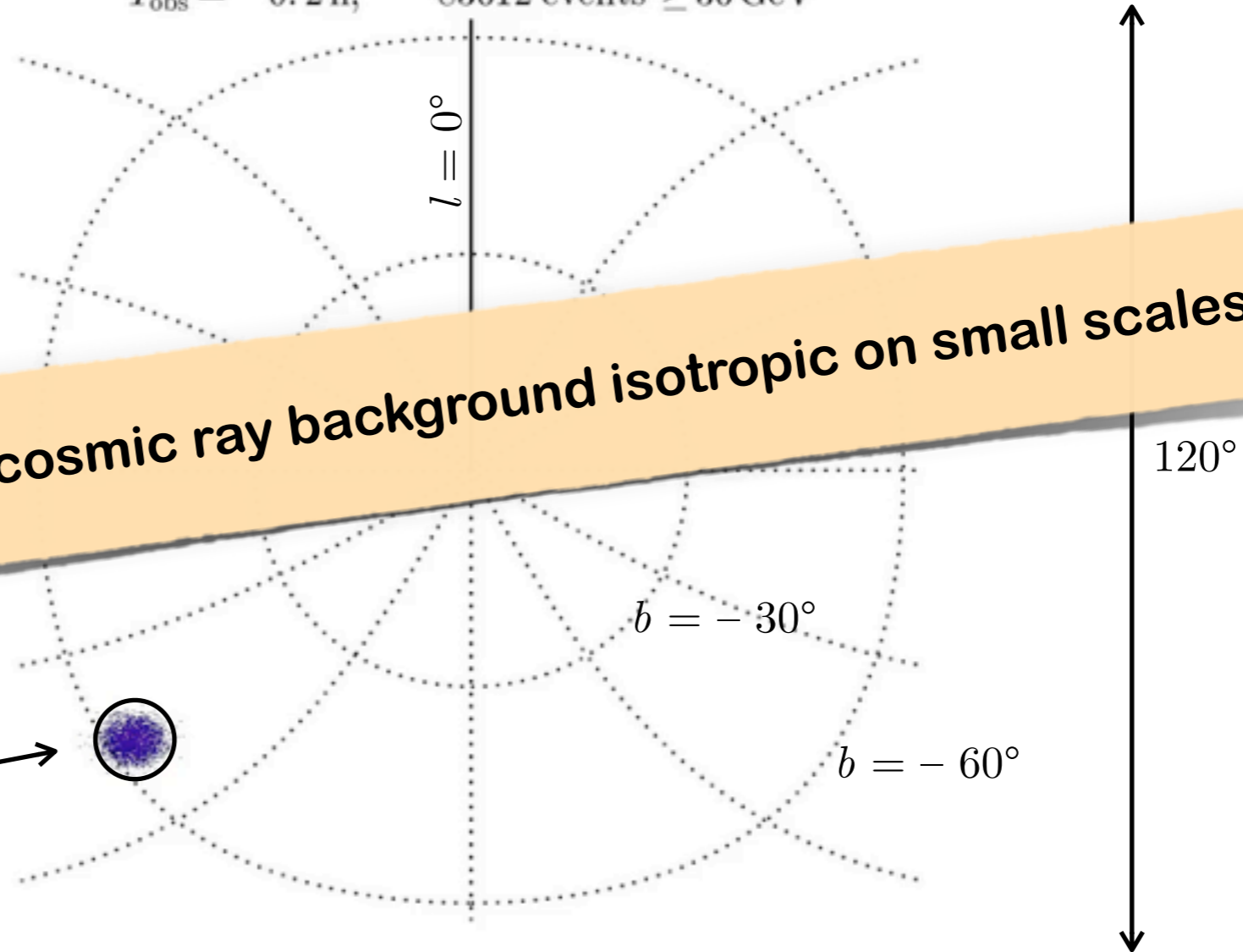


2880 observations à 10.4 min

$T_{\text{obs}} = 0.2 \text{ h}$, 83012 events $\geq 30 \text{ GeV}$

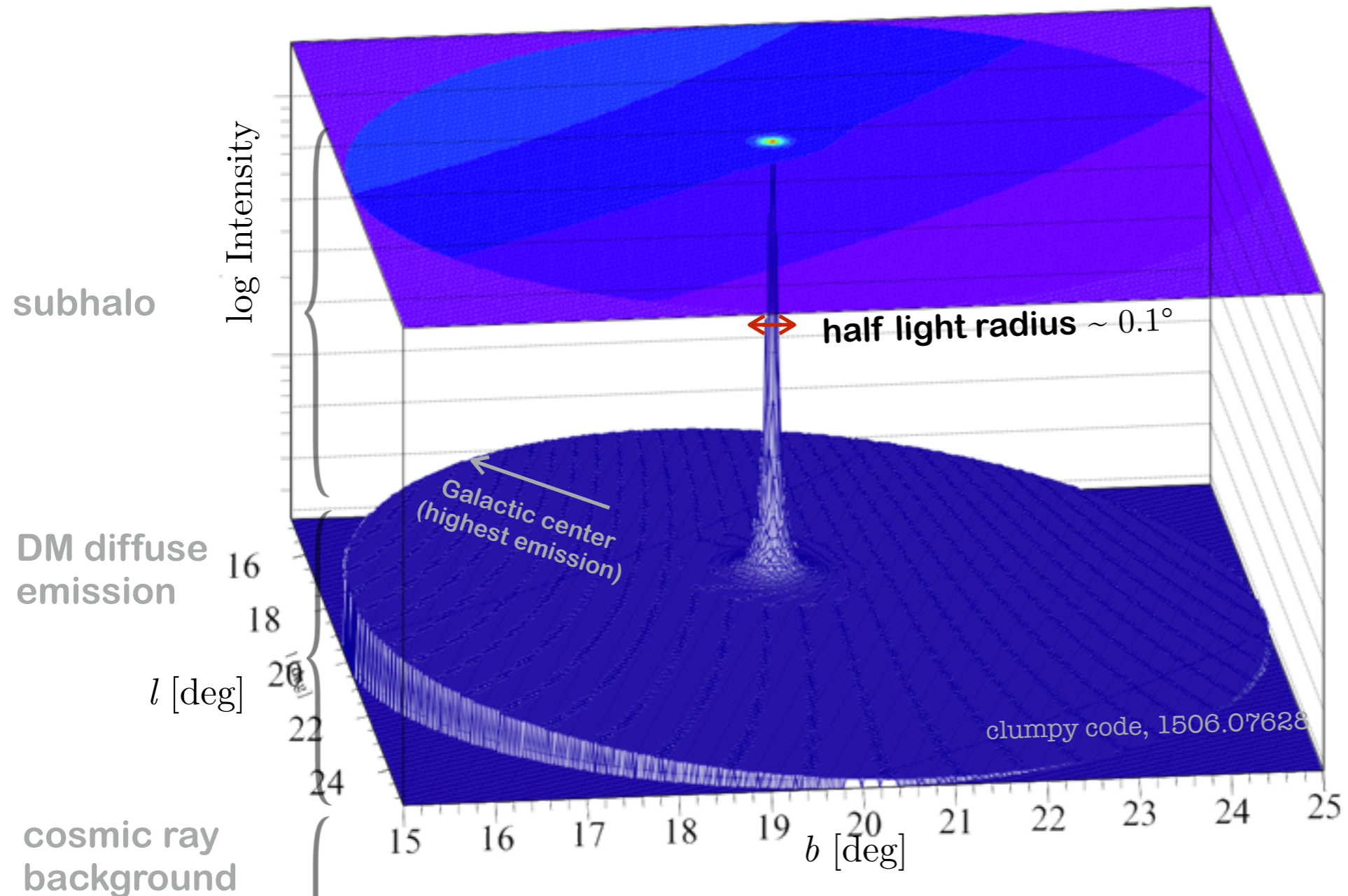
charged cosmic ray background isotropic on small scales

CTA
field of view
 $\sim 7^\circ$ diameter
at 500 GeV
moon: •



Likelihood analysis to find the brightest subhalo

- > Slightly extended, but very steep annihilation profile



Likelihood analysis to find the brightest subhalo

> Unbinned likelihood function for N_{obs} recorded events

$$L(\mathcal{M} | N_{\text{obs}}, E_{\text{R}, 1 \dots N_{\text{obs}}}, \vec{k}_{\text{R}, 1 \dots N_{\text{obs}}}) = p(N_{\text{obs}} | N_{\text{pred}}(\mathcal{M})) \times \prod_1^{N_{\text{obs}}} p(E_{\text{R}, i}, \vec{k}_{\text{R}, i} | \mathcal{M}).$$

$$p(E_{\text{R}}, \vec{k}_{\text{R}} | \mathcal{M}) = \int_{E, \Omega, A_{\text{eff}}(E)} p(E_{\text{R}} | E, \vec{k}) \times p(\vec{k}_{\text{R}} | E, \vec{k}) \times \frac{d\Phi_{\mathcal{M}}}{dE d\Omega}(E, \vec{k}) dA dE d\Omega$$

Energy resolution
(neglected in this work)

Angular resolution
(Gauss assumed in this work)

Extended DM halo profile
+ energy spectrum from annihilation

$$\frac{d\Phi_{\gamma}^{\text{ann.}}}{dE_{\gamma}} = \frac{1}{4\pi} \frac{\langle \sigma v \rangle}{2m_{\chi}^2} \cdot \sum_i^{\text{chann.}} b_i \frac{dN_{\gamma}^i}{dE_{\gamma}} \cdot \int_{\Delta\Omega} \int_{l.o.s.} \rho_{\text{DM}}^2[r(l, \Omega)] dl d\Omega$$



Likelihood analysis to find the brightest subhalo

- > Unbinned likelihood function for N_{obs} recorded events

$$L(\mathcal{M} | N_{\text{obs}}, E_{\text{R}, 1, \dots, N_{\text{obs}}}, \vec{k}_{\text{R}, 1, \dots, N_{\text{obs}}})$$



ctlike Likelihood fitter
from ctools

Knödseder et al. (2016)

$$p(E_{\text{R}}, \vec{k}_{\text{R}} | \mathcal{M}) = \int_{E, \Omega, A_{\text{eff}}(E)} p(E_{\text{R}} | E, \vec{k}) \times p(\vec{k}_{\text{R}} | E, \vec{k}) \times \frac{d\Phi_{\mathcal{M}}(E, \vec{k})}{dE d\Omega} dE d\Omega$$

+ accounting for trials in a blind survey search

Energy resolution
(neglected in this work)

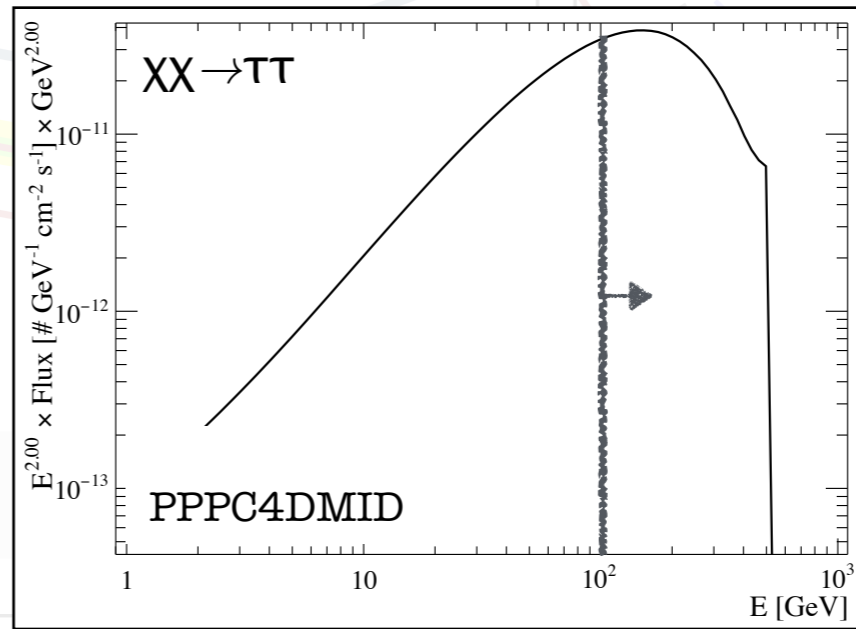
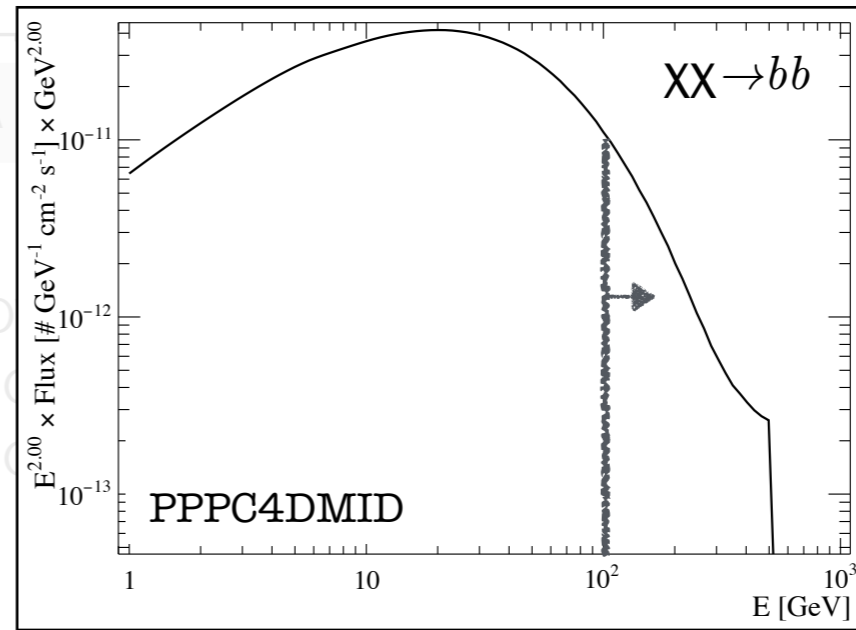
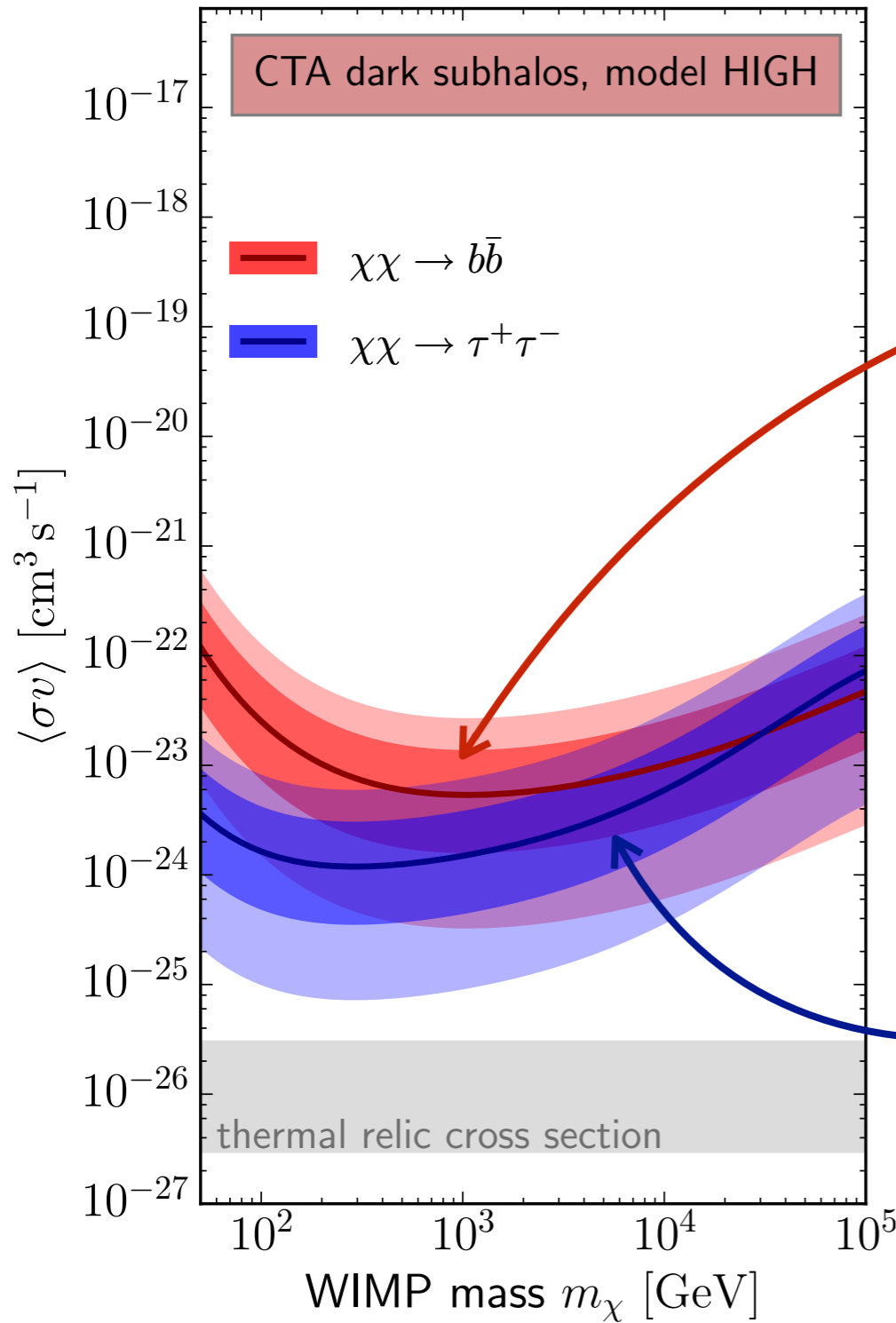
Angular resolution
(Gauss assumed in this work)

Extended DM halo profile
+ energy spectrum from annihilation

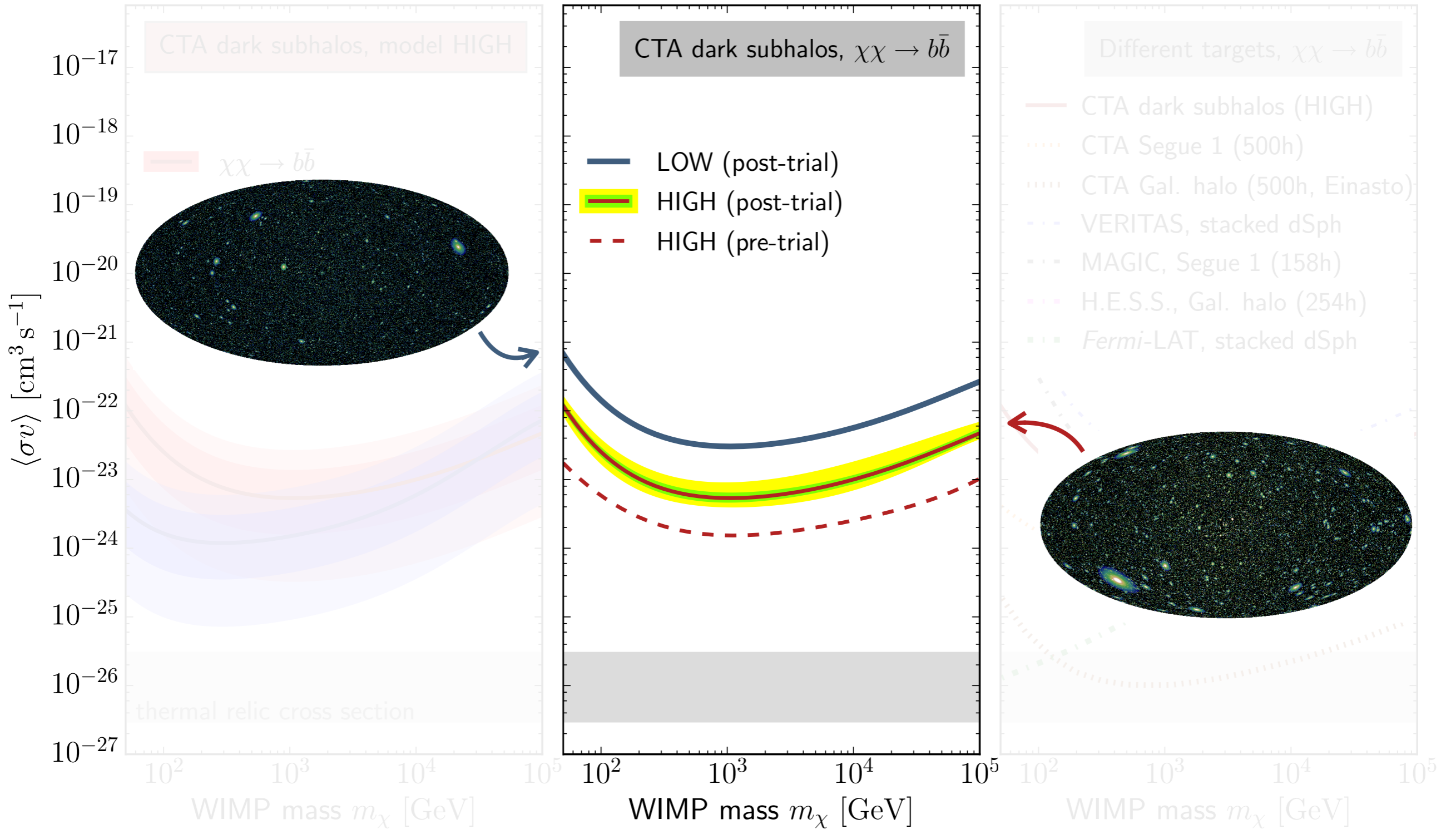
$$\frac{d\Phi_{\gamma}^{\text{ann.}}}{dE_{\gamma}} = \frac{1}{4\pi} \frac{\langle \sigma v \rangle}{2m_{\chi}^2} \cdot \sum_i^{\text{chann.}} b_i \frac{dN_{\gamma}^i}{dE_{\gamma}} \cdot \int_{\Delta\Omega} \int_{l.o.s.} \rho_{\text{DM}}^2[r(l, \Omega)] dl d\Omega$$



Results



Results



Results

